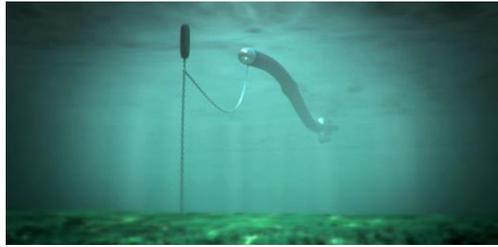


Case study: Anaconda



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Content

- Introduction
- Methodology
- Results
- Conclusions

This lecture *excludes*

- Numerical modelling with Abacus (structure) and MATTHEW (waves)
- Analytical details of developed theory (see Chaplin et al. 2012; Farley et al. 2012)
- Dynamic mechanical rubber analysis (see Heller and Chaplin 2011)

Introduction

Animation Anaconda wave energy converter



Checkmate SeaEnergy Ltd

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Introduction

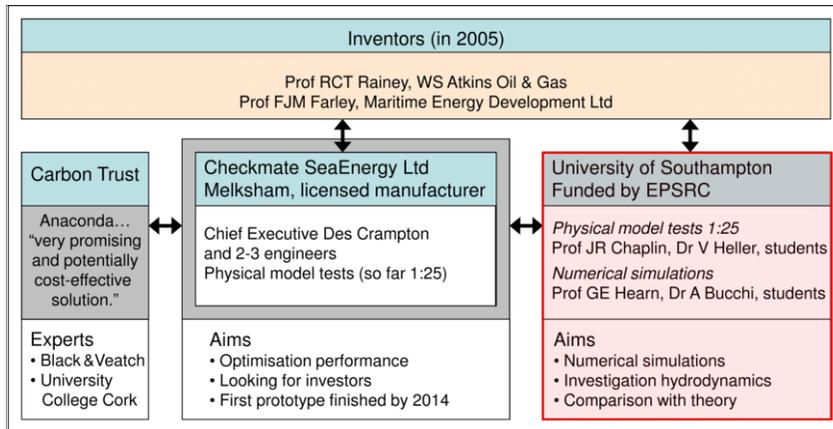
Anaconda...

- ...is a closed rubber tube filled with water under pressure.
- ...is about 150 m long and 6 m in diameter.
- ...captures wave energy with bulge waves.
- ...aligns parallel to wave direction due to point mooring.
- ...is an attenuator (aligns parallel to wave direction).
- ...is environmental friendly (made of natural rubber).
- ...should produce about 1 MW power in 50 kW/m waves.
- ...is a floating offshore device (in deep-water waves).
- ...is distensible (advantage for extreme waves).
- ...has low construction and maintenance costs.

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Introduction

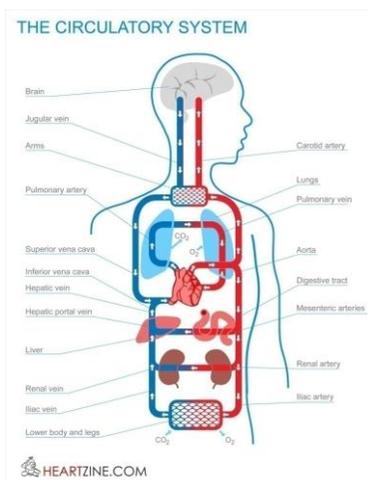
Overview Anaconda research



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Introduction

Bulge waves propagate also in human body

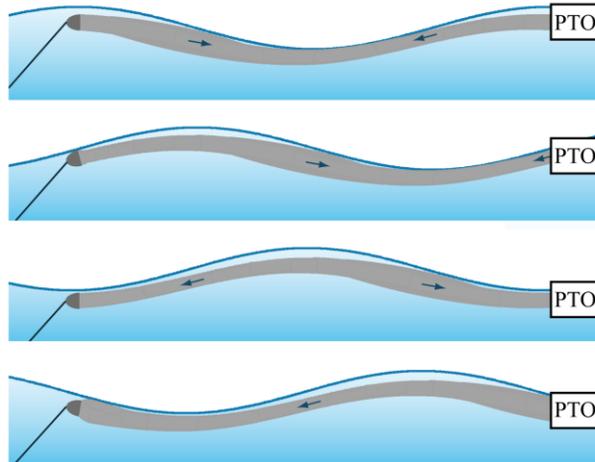


- Pressure pulses from the heart are propagating as bulge waves in aortas
- Literature available about bulge wave speed, bulge pressure losses and aneurysm, e.g. Pedley (1980) *The fluid mechanics of large blood vessels*.

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Introduction

Principle bulge wave generation

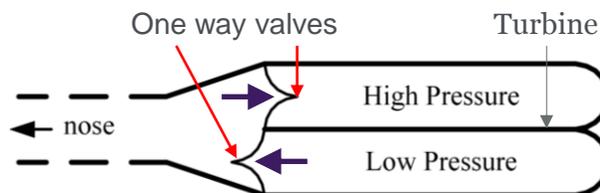


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Introduction

Principle power take-off PTO of Anaconda

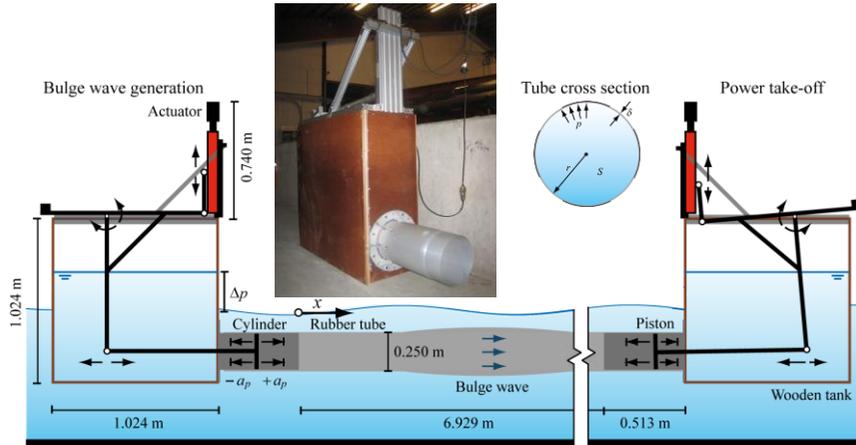
- The PTO transforms the captured wave energy in the bulge waves in electrical power
- Smoothing with accumulators is required to extract power continuously and not periodic in cycles



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Methodology

Side view set-up I with actuators (tube scale 1:25)

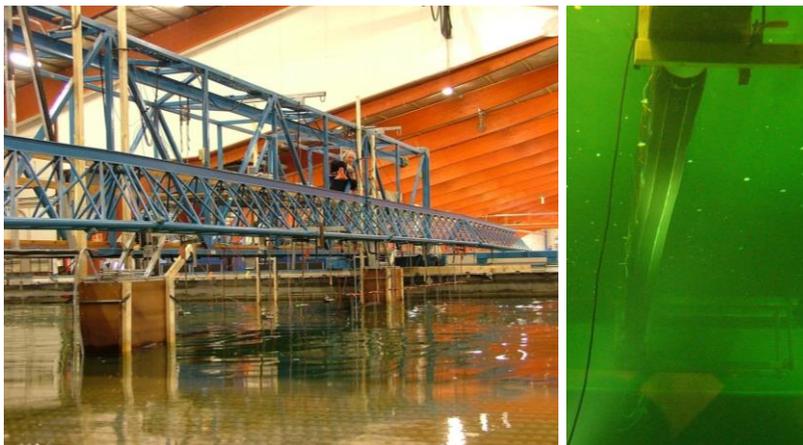


Power of mechanical components [Watts = Nm/s] = force [N] × velocity [m/s]

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Methodology

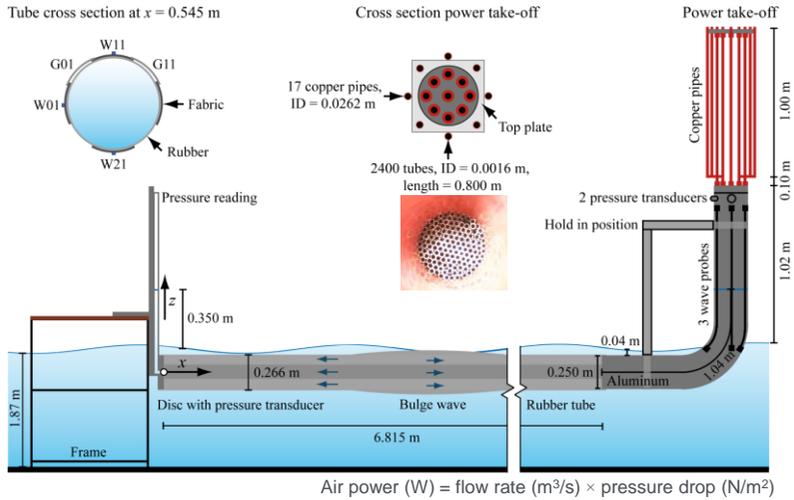
Wave basin at Danish Hydraulic Institute, $20 \times 30 \times 3 \text{ m}^3$



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Methodology

Side view set-up II with model PTO



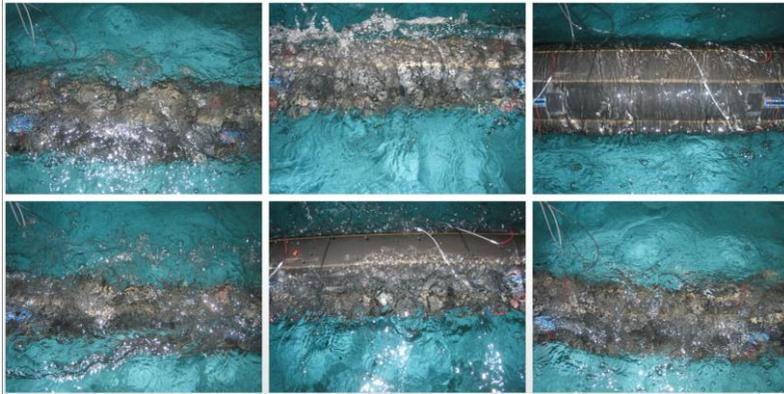
Methodology

Towing tank Solent University, Southampton, $60 \times 3.7 \times 1.87 \text{ m}^3$



Methodology

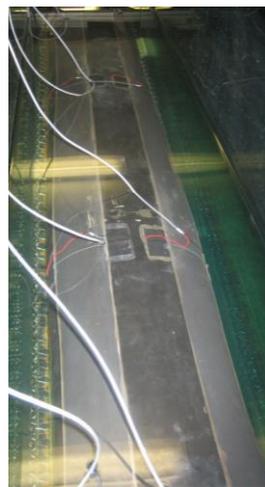
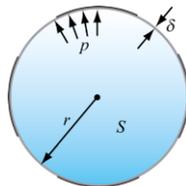
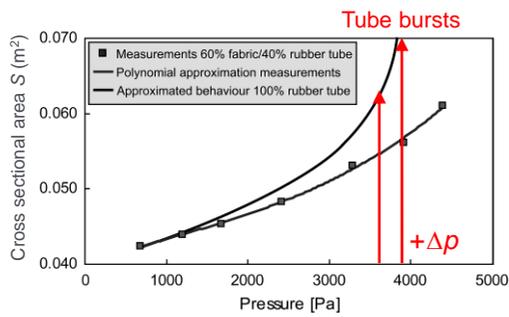
Anaconda tube in regular waves



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Methodology

Postpone onset of aneurysm

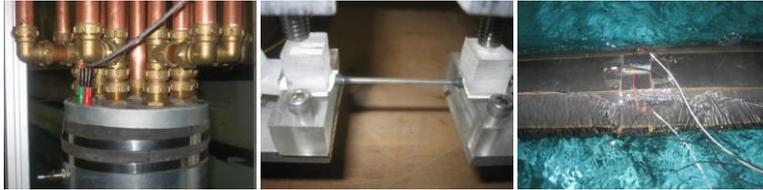


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Methodology

Measurement system (power = flow rate \times pressure drop)

- 3 pressure transducers (at tube bow, in PTO)
- Wave gauges (3 in PTO, up- and down-wave of device)



PTO

Bench testing GSG

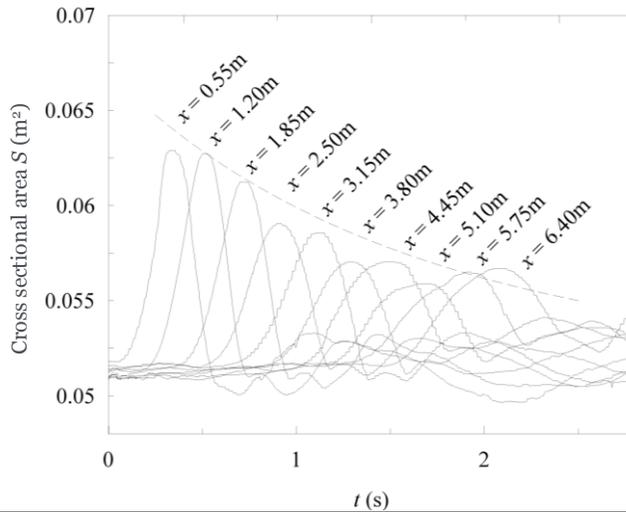
GSG on tube

- 20 Galinstan strain gauges GSG (circumference of tube, bulge wave speed, indirect pressure, velocity and power of bulges in tube)

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Methodology

Cross sectional area measurements of tube



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Methodology

Videos of tests at Solent University, scale 1:25



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Results: Bulge wave speed

Distensibility D (1D linear theory from Lighthill 1978)

- D indicates relative tube cross sectional area S increase per unit increase of pressure p

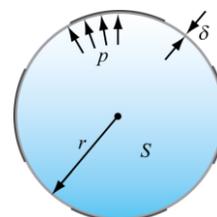
$$D = (1/S)(dS/dp)$$

$$D = 2r/(\delta E) \text{ for thin-walled elastic tube}$$

with Young's modulus E

wall thickness δ

tube radius r



- Theoretical bulge wave speed c_{bt}

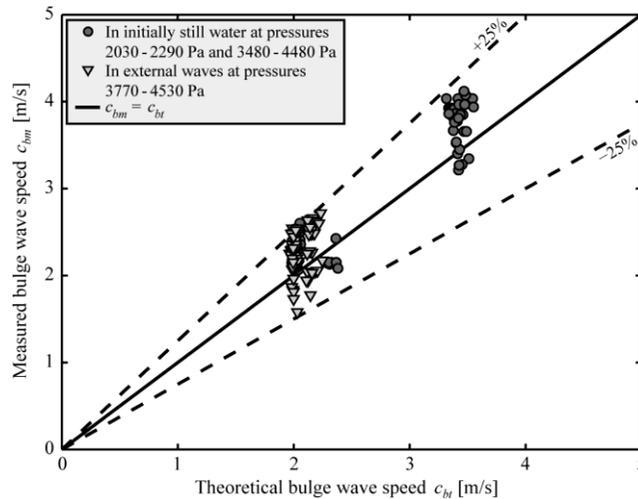
$$c_{bt} = 1/(\rho D)^{1/2}$$

ρ = fluid density

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Results: Bulge wave speed

Bulge wave speed



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Results: 1D linear theory

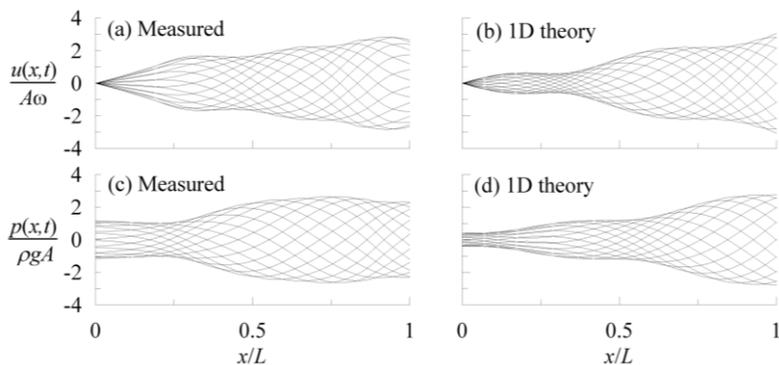
Linear theory

- 1D linear theory for bulge wave speed and pressure in liquid-filled, thin-walled elastic tubes was further developed to include in addition:
 - Hysteresis losses in rubber
 - Effect of inelastic sectors of circumference
 - State of plane strain (tube fixed at both ends)
 - Effects of tube curvature ($\approx 0.2\%$) and of surrounding water ($\approx 1\%$) were found to be negligible for bulge speed (excluded)
- Equation was solved with boundary conditions of set-up II
 - Tube closed and stationary at up-wave end
 - Linear dashpot PTO at down-wave end
- Not included are wave diffraction and radiation

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Results: In tube

Particle velocity $u(x, t)$ and pressure $p(x, t)$ in tube for 16 instances over one period



A (m) = pressure head due to wave ρ (kg/m³) = water density
 $\omega = 2\pi/T$ (1/s) = wave angular frequency L (m) = tube length
 g (m/s²) = gravitational acceleration x (m) = x-coordinate

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Results: PTO

Impedance ratio $Z = I_{PTO}/I_{tube}$

Power $P = \text{flow rate} \times \text{pressure drop}$

- OWC completely open to atmosphere, no pressure (force) $\rightarrow P = 0$
- OWC completely closed, no fluid velocity $\rightarrow P = 0$



Mechanical impedance is a measure of how much a structure resists motion when subjected to a given force. Here impedance I_{PTO} (Pa/[m³/s]) is a measure of how much the PTO resists the flow when subjected to a given pressure. The optimum of I_{PTO} is between completely open ($I = 0$) and closed ($I = \infty$).

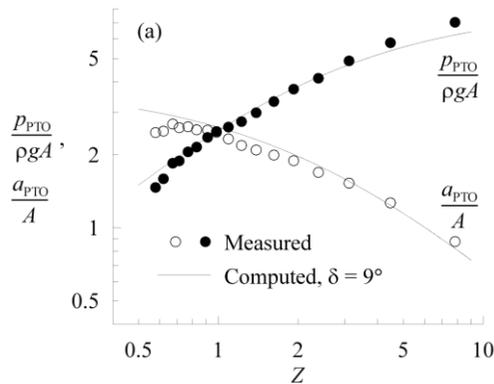
I can be measured in the PTO and I can also be computed for the tube $I_{tube} = \rho c^2/S$. If I_{PTO} is adjusted such that $I_{PTO} = I_{tube}$ (impedance matching), then the PTO is like a infinite continuation of the tube and no bulge reflection is expected. The generated power in the PTO is maximal.

Over all: $P = P_{max}$ if $Z = I_{PTO}/I_{tube} = 1$ and if $c_{bt}/c_w = 1$ (resonance)

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Results: PTO

Pressure p_{PTO} and amplitude a_{PTO} versus relative impedance
 $Z = I_{PTO}/I_{tube}$



δ ($^\circ$) = loss angle: δ is proportional to hysteresis losses (dissipation) in rubber and was measured as 6° ; here $\delta = 9^\circ$ was used (difference may account for radiation)

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Results: PTO

Capture width

Equivalent width in meter wave front where 100% of the incident wave energy is absorbed by a WEC. The capture width can be expressed in meter or dimensionless:

$$\text{Capture width } W \text{ (m)} = \frac{\text{captured power (kW)}}{\text{power/meter wave front (kW/m)}}$$

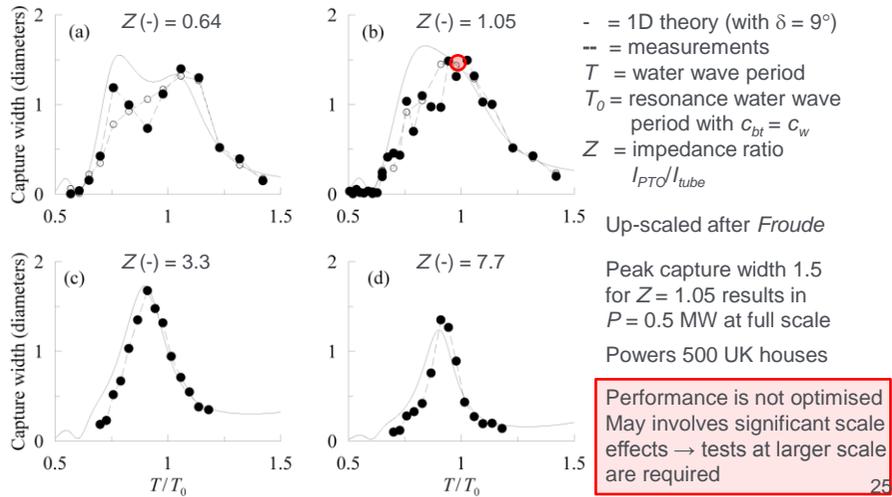
$$\text{Relative capture width (-)} = \frac{W \text{ (m)}}{\text{characteristic length (m)}}$$

The characteristic length is often the diameter of a device.

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Results: PTO

Relative capture width versus relative period



Conclusions

- Anaconda, invented in 2005, captures wave energy with bulge waves propagating like pressure pulses from heart in blood system
- Unlike almost all other marine systems, Anaconda is distensible (elastic or deformable): measurements, scale effects and development of theory was challenging (many optimisations required)
- Anaconda was investigated under idealised conditions at scale 1:25 at University of Southampton to better understand its hydrodynamics
- This investigation required some novel components (Galinstan strain gauges, model PTO) and an improved 1D linear theory
- The measurements match surprisingly well with this theory if the loss angle δ is increased to account for wave radiation
- The measured power looks promising and *Checkmate SeaEnergy* is currently looking for investment to test the device at full scale

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